

1(10). For polyelectronic atoms, four quantum numbers are used to describe the electrons. Identify these by giving the respective name (correct spelling), symbol, and permitted values.

2(10). For atomic Be ($Z = 4$) write the hamiltonian operator (write out all terms) describing the electronic motion.

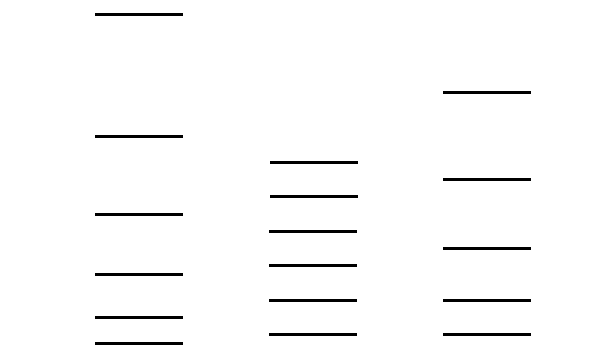
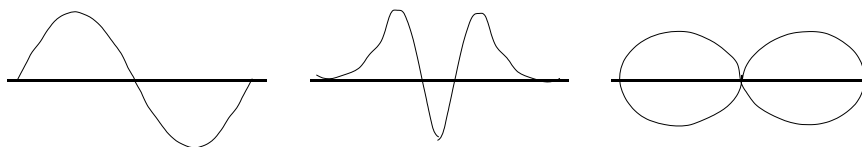
If a trial wave function ϕ for Be is to be constructed using various hydrogen atomic wave functions ψ_{1s} , ψ_{2s} , ψ_{2p} , etc., write the Slater determinant for the ground state of Be. (Do not expand the determinant.)

3(10). Write the complete electronic configuration (using the usual subshell notation) for atomic Br ($Z = 35$).

Predict the oxidation number(s) of Br.

What are the four quantum numbers of the 35th electron?

4(15). The following sketches are plots of ψ for a particle in a 1-D box with $n = 2$, a rigid rotator with $J = 2$ and $m = 0$, and a SHO with $\nu = 2$. Clearly identify each ψ plot. Also shown are plots of energy levels for 1-D box, rigid rotator, and SHO (not to the same scale). Clearly identify each E plot. (Note, the sets of ψ and E plots are not necessarily in the same order.)



- 5(15). Assume that a nitrogen molecule (atomic mass 14.0) acts as a particle in a 3-D box with $a = b = c = 1.00$ m. Also assume $n_x = n_y = n_z$ (which is quite reasonable). Calculate the value of n_x represented by the thermal energy of $(3/2)k_B T$ at 25 °C.
- 6(15). The moment of inertia of a HI molecule is 4.330×10^{-47} kg m². Calculate the ratio of the number of molecules with rotational quantum number $J = 2$ to those with $J = 0$ at 25 °C.
- 7(25). Determine $\psi_{J,m}(\theta, \phi)$ for a rigid rotator with $J = 2$ and $m = 2$.